

Optimal Activation of Standard Products for Balancing as Required by Draft ENTSO-E Network Codes

Martin Håberg   Statnett

Gerard Doorman   NTNU

Martin Håberg



MSc Energy and Environmental
Engineering

Employed at Norwegian TSO

1 year into industrial PhD

Main interest: Electricity Balancing

Supervised by Prof
Gerard Doorman



Integration of
Balancing
Markets

Standard
Products

Activation
Optimization
Function

Modeling the
Problem

Case Study

Simulation
Results

Ongoing Work

Questions

Integration of
Balancing
Markets

Standard
Products

Activation
Optimization
Function

Modeling the
Problem

Case Study

Simulation
Results

Ongoing Work

Questions

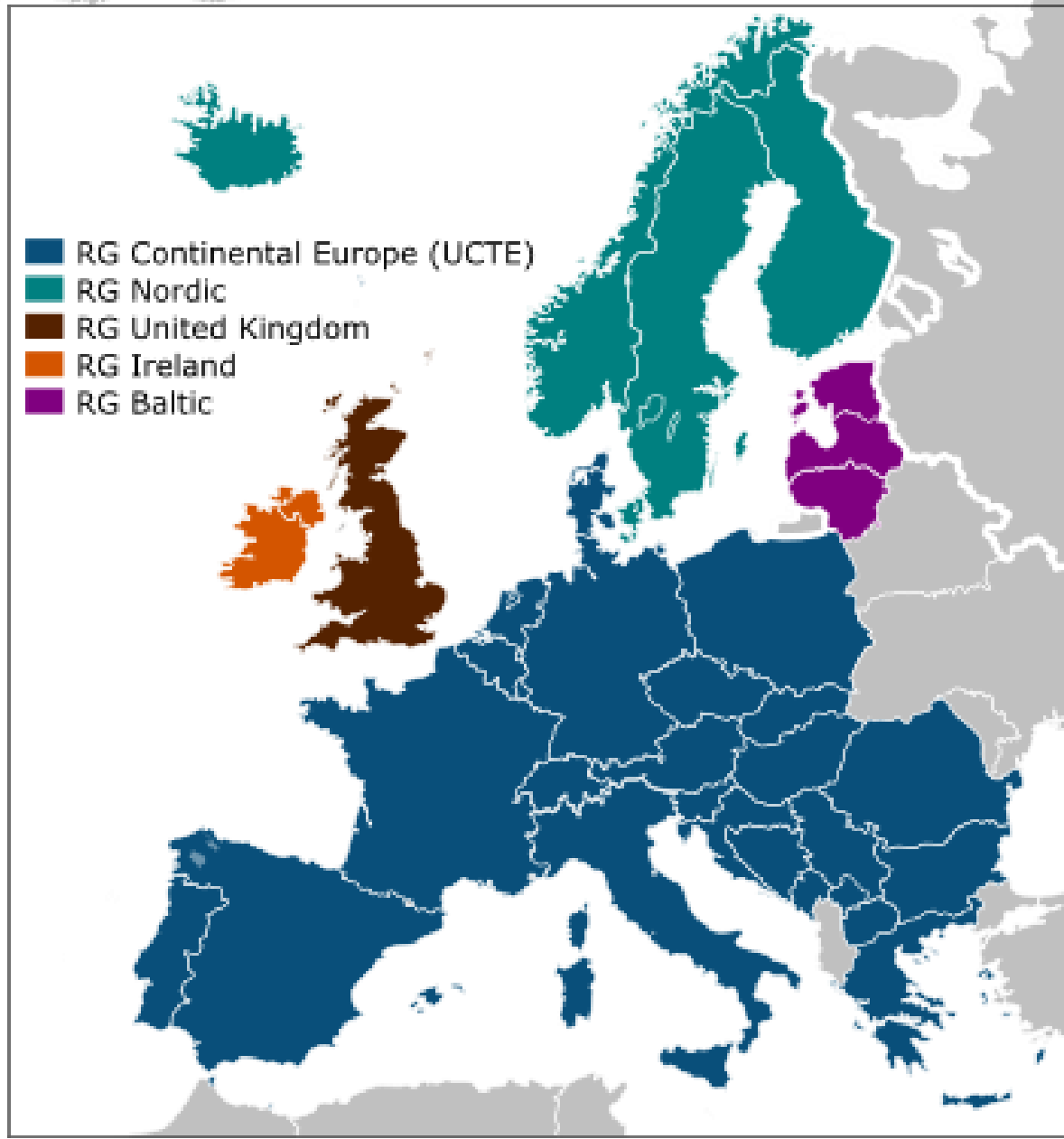
Network Codes

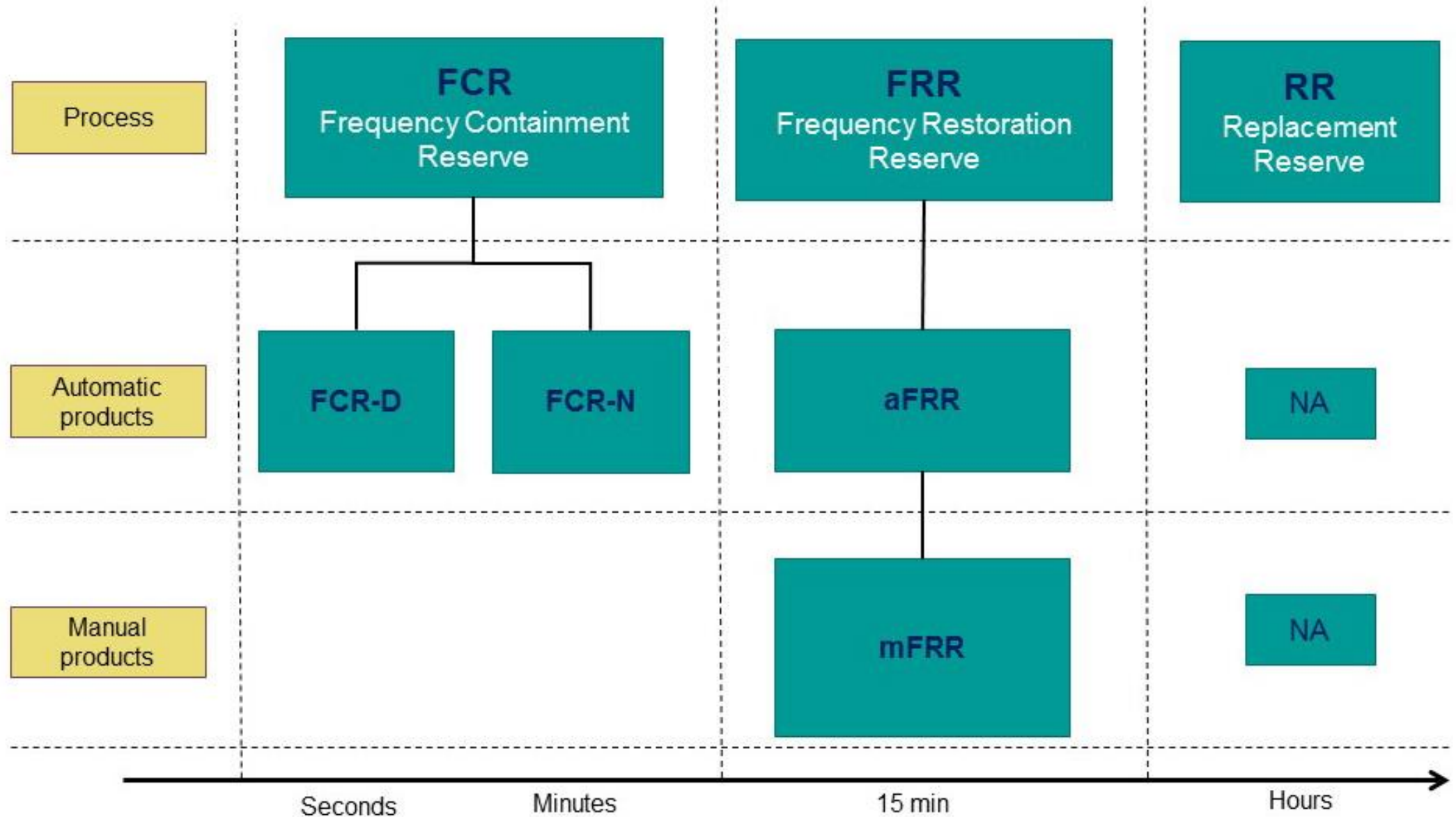


- Electricity Balancing

- Emergency and Restoration
- Demand Connection
- HVDC
- Forward Capacity Allocation
- System Operation

- Capacity Allocation and Congestion Management
- Requirements for Generators





FINGRID

Integration of
Balancing
Markets

Standard
Products

Activation
Optimization
Function

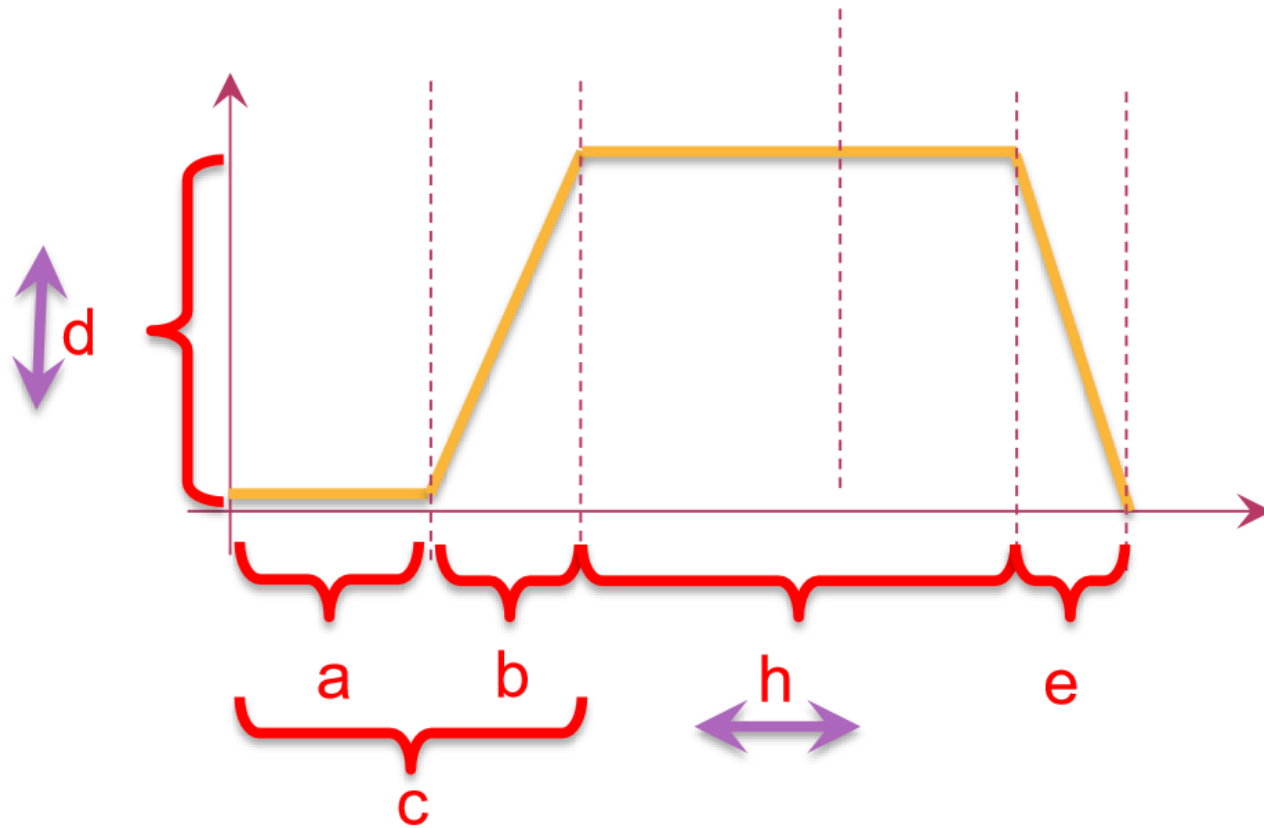
Modeling the
Problem

Case Study

Simulation
Results

Ongoing Work

Questions



Characteristics

- (a) Preparation time
- (b) Ramping period
- (c) Full activation time**
- (d) Minimum/maximum quantity
- (e) Deactivation period
- (f) Divisibility
- (g) Validity period
- (h) Min/max delivery period**
- (i) Mode of activation**

Product proposals

2014	2015	2016	?
4 aFRR	? aFRR	1 aFRR	1 aFRR?
6 mFRR	4 mFRR	3 mFRR	1 mFRR?
2 RR	2 RR	1 RR	1 RR?

Integration of
Balancing
Markets

Standard
Products

Activation
Optimization
Function

Modeling the
Problem

Case Study

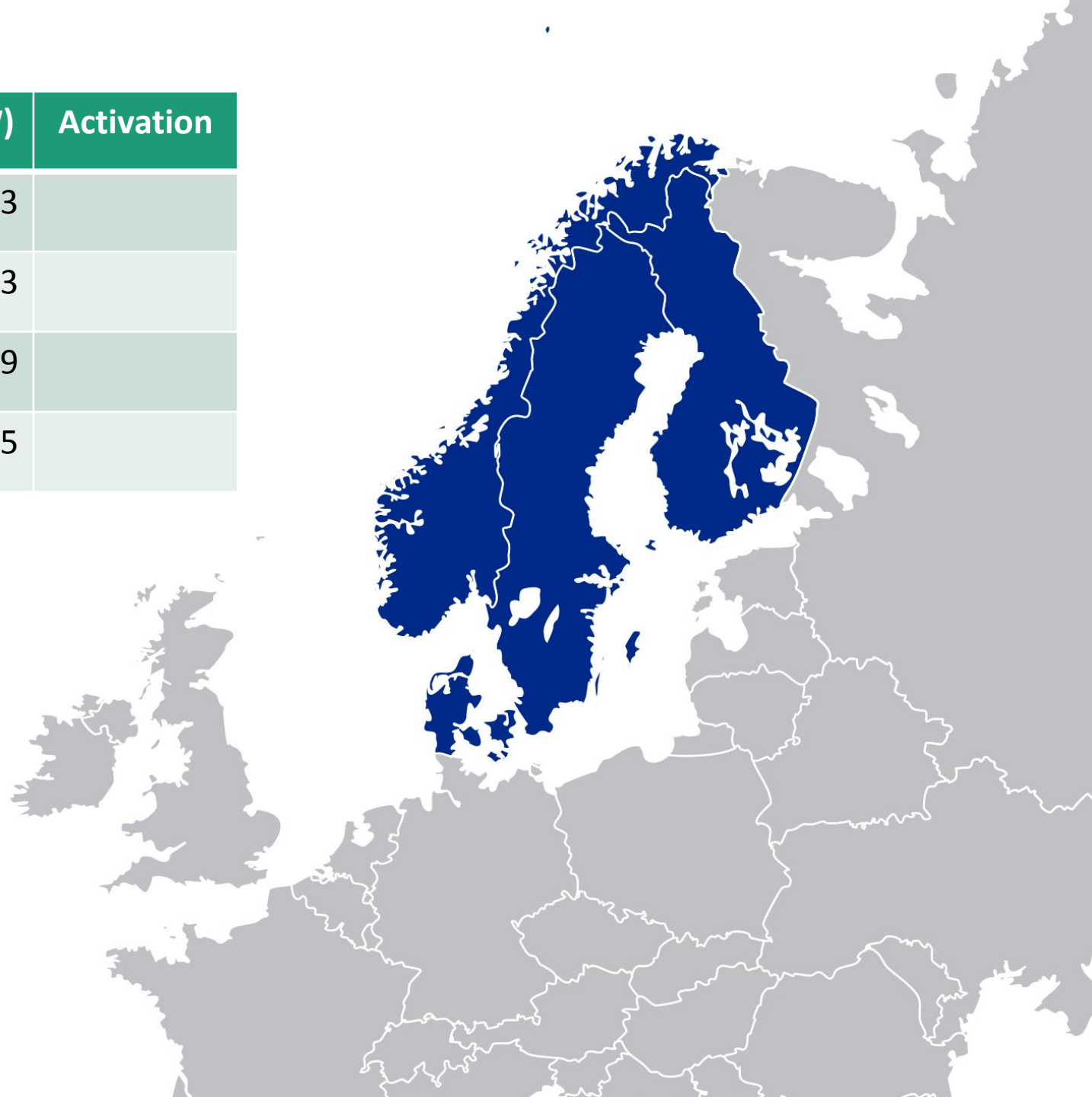
Simulation
Results

Ongoing Work

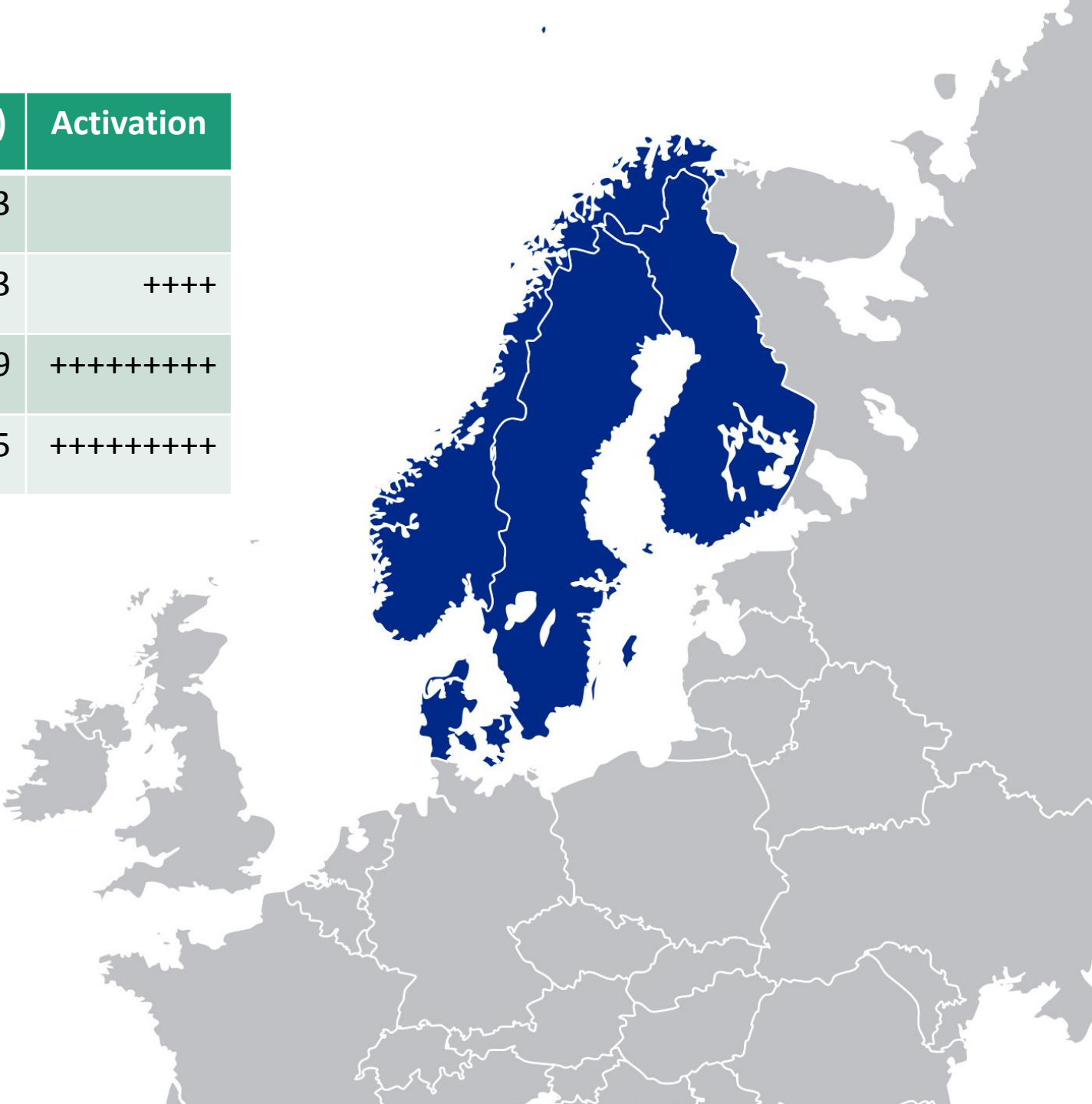
Questions

Bid provider	Price (€)	Quantity (MW)	Activation
Oslo Hydro Heroes	46	43	
Copenhagen Useful Utility	44	13	
Helsinki Superpower	39	39	
Stockholm Power	36	25	

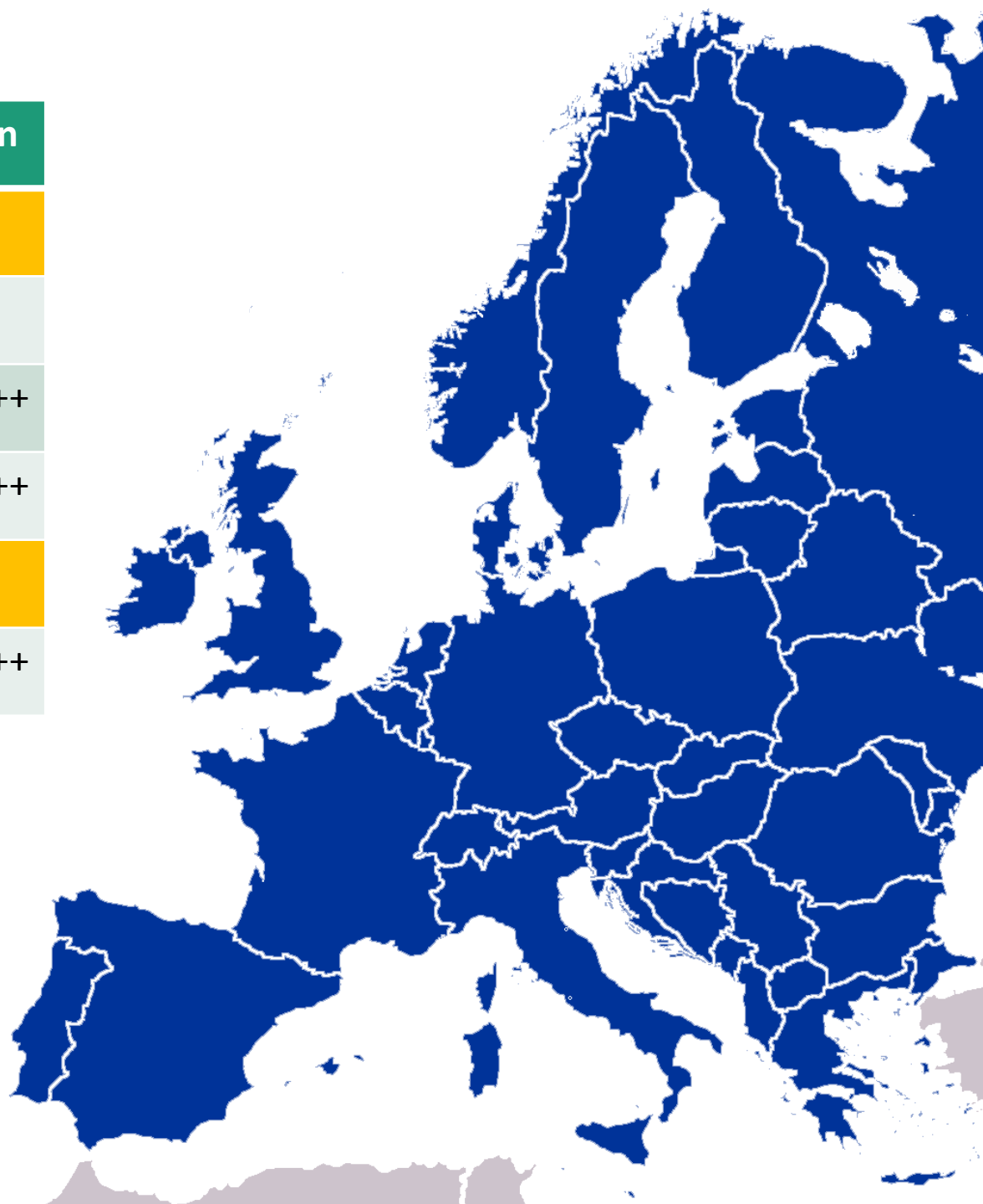
Need 70 MW



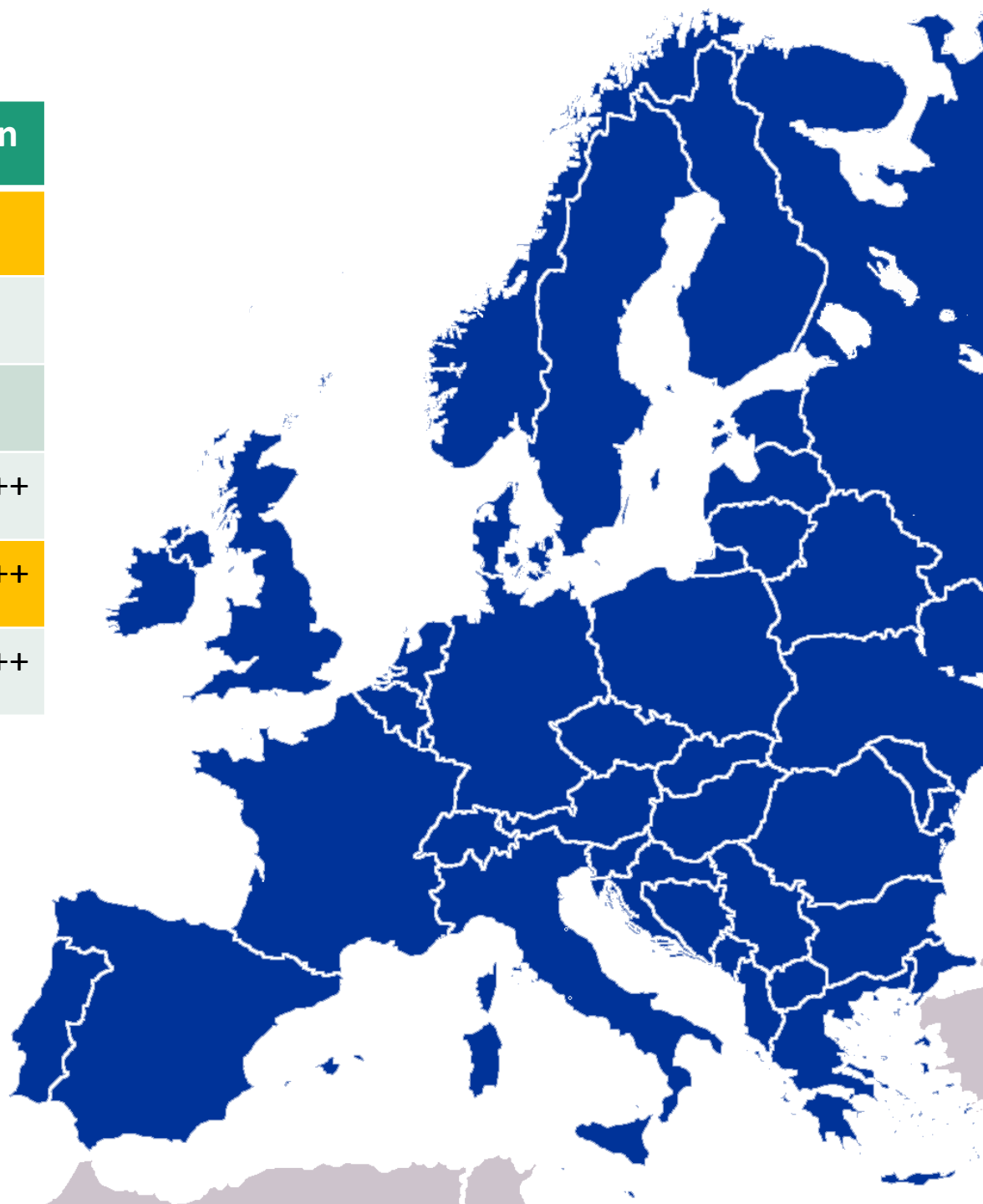
Bid provider	Price (€)	Quantity (MW)	Activation
Oslo Hydro Heroes	46	43	
Copenhagen Useful Utility	44	13	++++
Helsinki Superpower	39	39	+++++++
Stockholm Power	36	25	+++++++



Bid provider	Price (€)	Quantity (MW)	Activation
Lisbon Electric	89	4	
Oslo Hydro Heroes	46	43	
Copenhagen Useful Utility	44	13	++++
Helsinki Superpower	39	39	+++++
Berlin Intense Solar	37	30	
Stockholm Power	36	25	+++++



Bid provider	Price (€)	Quantity (MW)	Activation
Lisbon Electric	89	4	
Oslo Hydro Heroes	46	43	
Copenhagen Useful Utility	44	13	
Helsinki Superpower	39	39	++++
Berlin Intense Solar	37	30	+++++++
Stockholm Power	36	25	+++++++



Bid provider	Product	Price (€)	Quantity (MW)	Activation
Lisbon Electric	aFRR	89	4	
Oslo Hydro Heroes	mFRR-5	46	43	
Copenhagen Useful Utility	mFRR-15	44	13	
Helsinki Superpower	RR	39	39	
Berlin Intense Solar	mFRR-15	37	30	
Stockholm Power	mFRR-10	36	25	



Integration of
Balancing
Markets

Standard
Products

Activation
Optimization
Function

Modeling the
Problem

Case Study

Simulation
Results

Ongoing Work

Questions

Cost minimization

$$C^a = \sum_{t \in T} \left(\sum_{b \in B_u} c_b y_{b,t} + \sum_{b \in B_d} (p^{DA} - c_b) y_{b,t} \right)$$

Activation cost

Upward activations

Downward activations

$$C^p = \sum_{t \in T} \sum_{k \in K} p_k (f_t^{ok} + f_t^{uk})$$

$$\min C = C^a + C^p$$

Cost minimization

$$C^a = \sum_{t \in T} \left(\sum_{b \in B_u} c_b y_{b,t} + \sum_{b \in B_d} (p^{DA} - c_b) y_{b,t} \right)$$

$$C^p = \sum_{t \in T} \sum_{k \in K} p_k (f_t^{ok} + f_t^{uk})$$

Penalty cost

Penalty param.

Over freq.

Under freq.

Cost minimization

$$C^a = \sum_{t \in T} \left(\sum_{b \in B_u} c_b y_{b,t} + \sum_{b \in B_d} (p^{DA} - c_b) y_{b,t} \right)$$

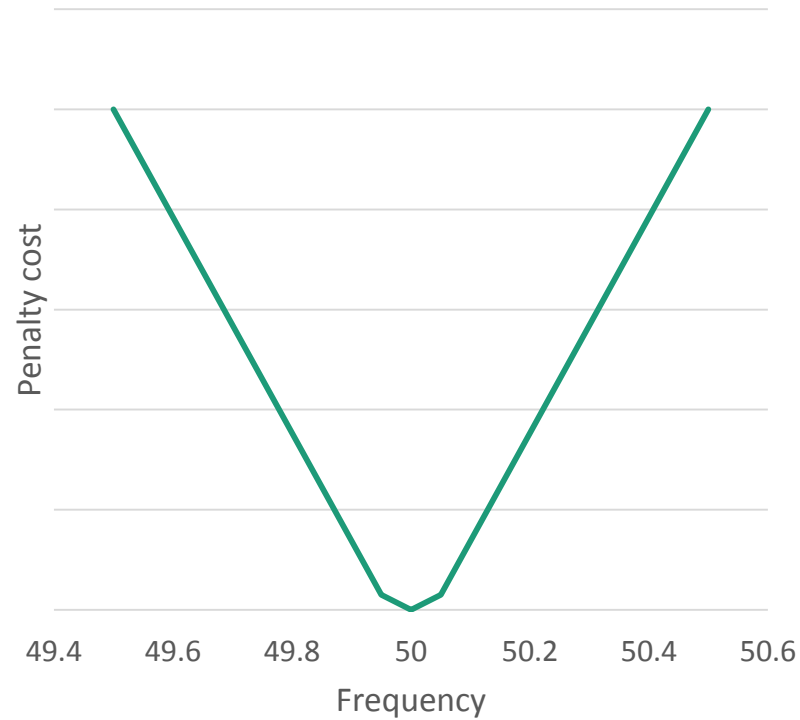
$$C^p = \sum_{t \in T} \sum_{k \in K} p_k (f_t^{ok} + f_t^{uk})$$

$$\min C = C^a + C^p$$

Total cost

Frequency Deviations

Penalty function



Frequency estimation

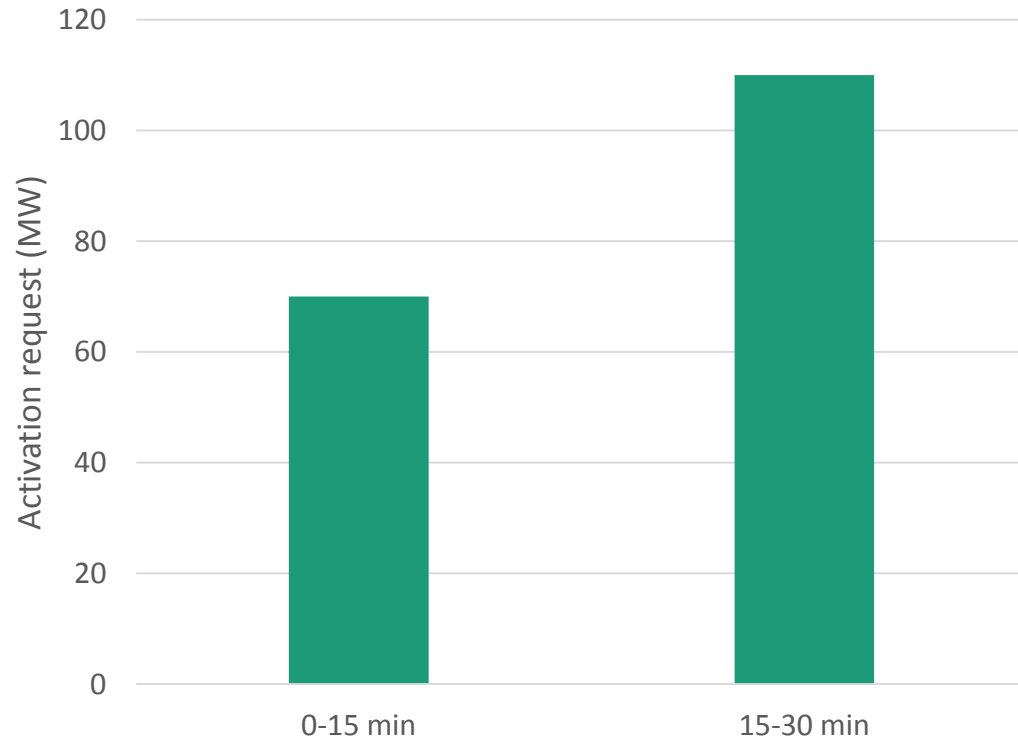
$$f_t = f_N + \frac{1}{\lambda} \sum_{t \in T} \left(\sum_{b \in B_u} y_{b,t} - \sum_{b \in B_d} y_{b,t} + \omega_t \right)$$

The equation is annotated with two boxes:

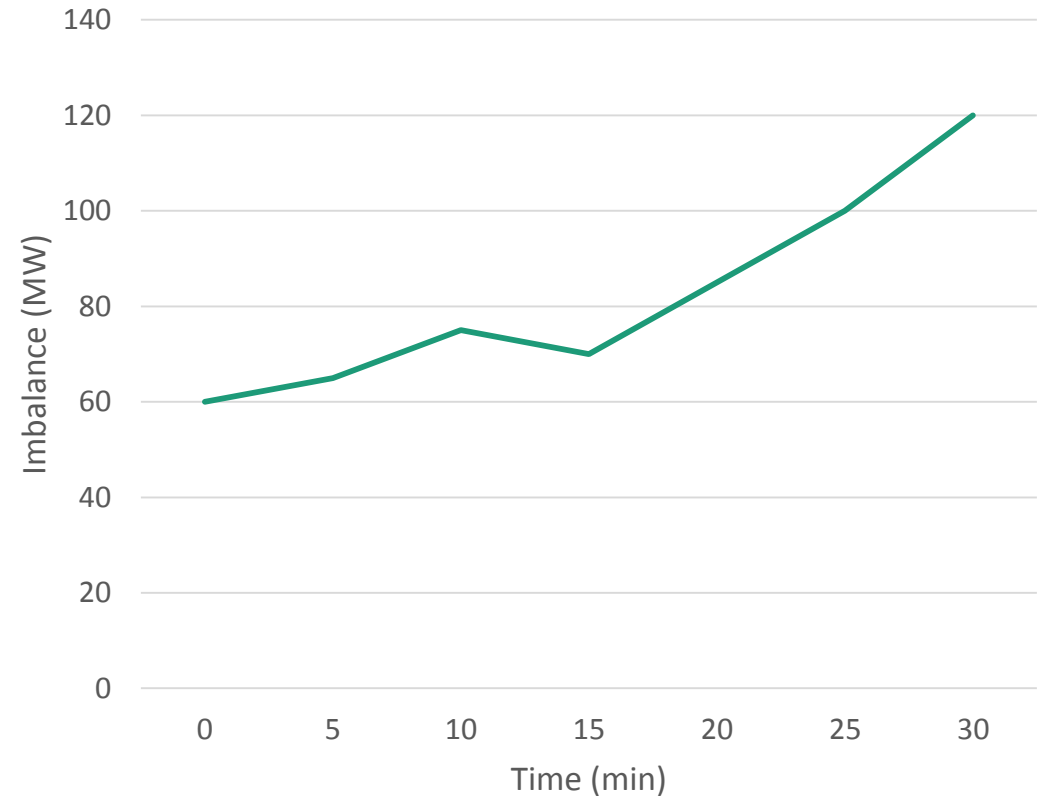
- A blue box labeled "Freq. bias" is positioned around the term $\frac{1}{\lambda} \sum_{t \in T}$.
- An orange box labeled "Imbalance" is positioned around the term $\left(\sum_{b \in B_u} y_{b,t} - \sum_{b \in B_d} y_{b,t} + \omega_t \right)$.

Imbalance forecasts

We need 70 MW, then 110 MW in the next period

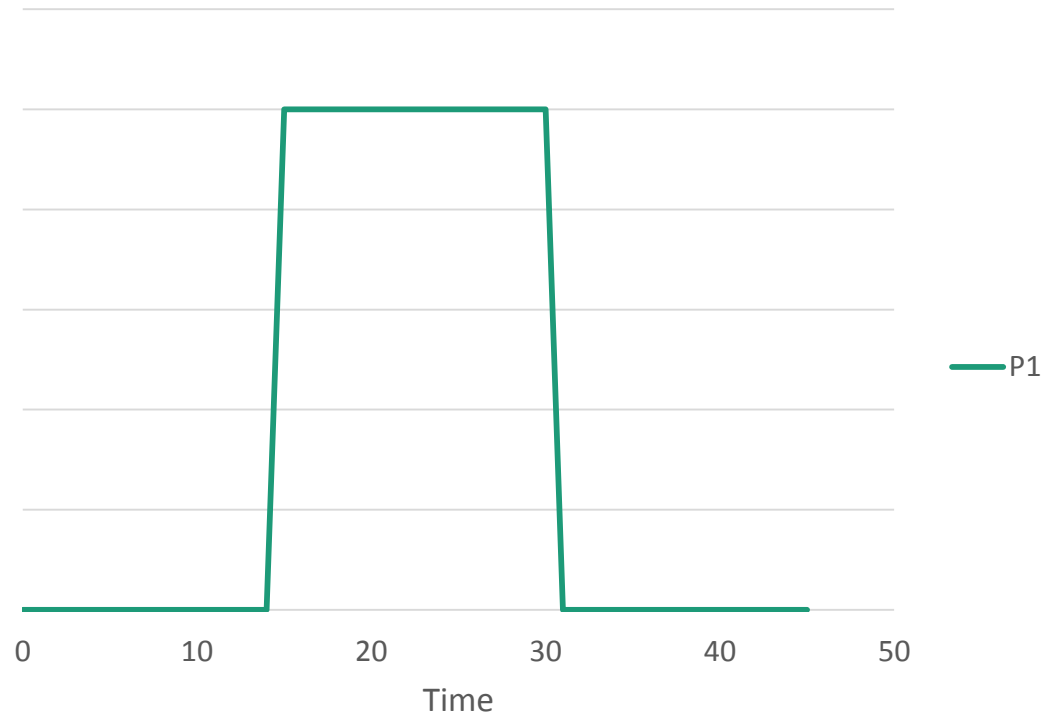


Or: this is our expected imbalance, please cover it

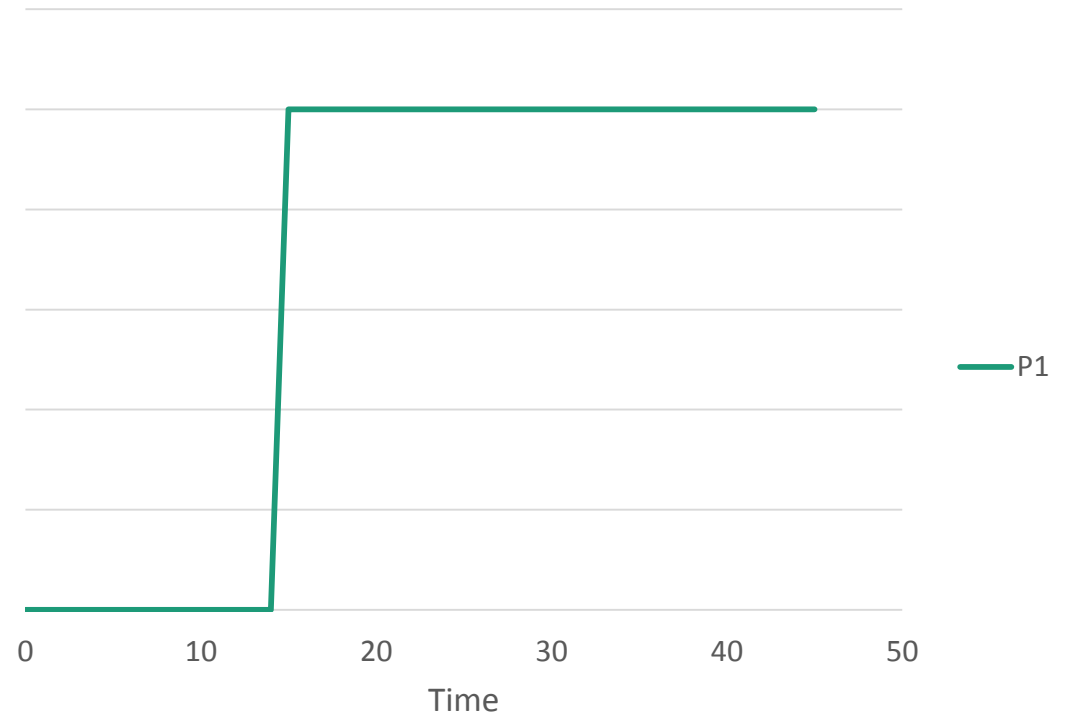


Standard Products

Minimum duration

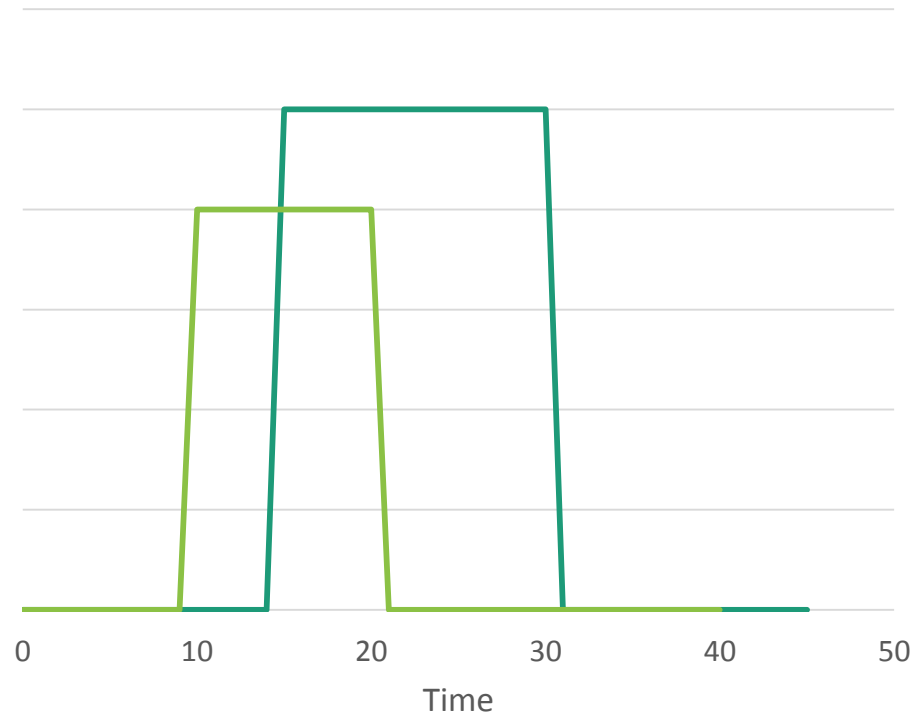


Potential duration

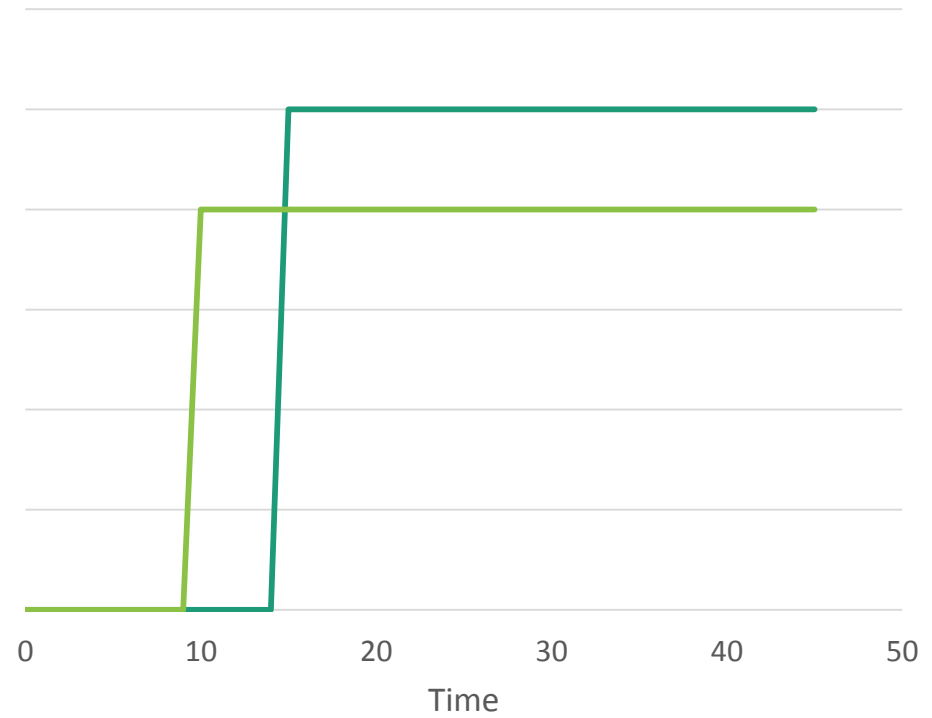


Standard Products

Minimum duration

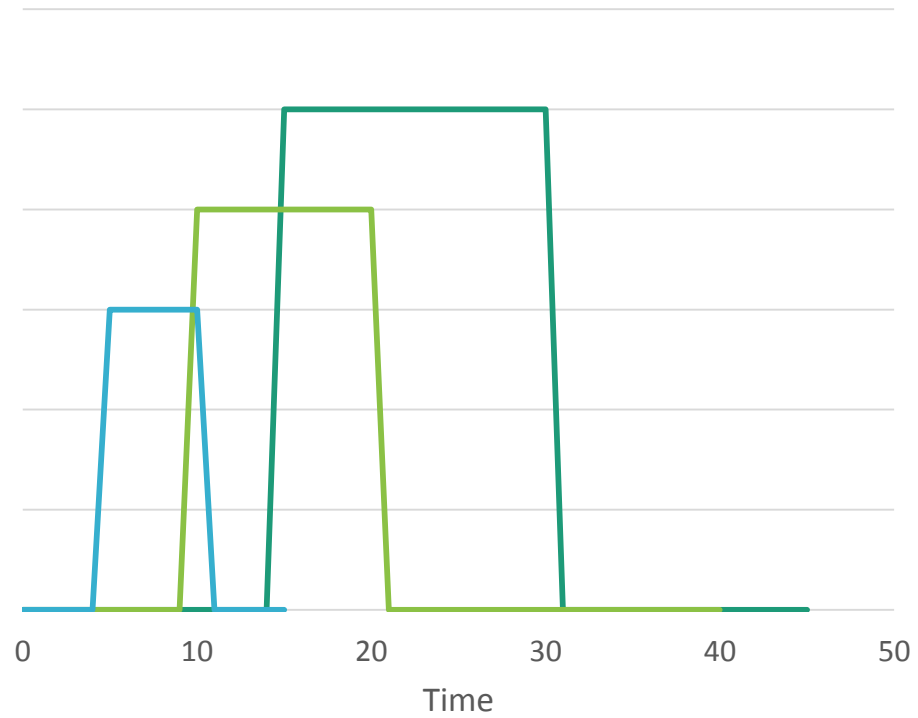


Potential duration

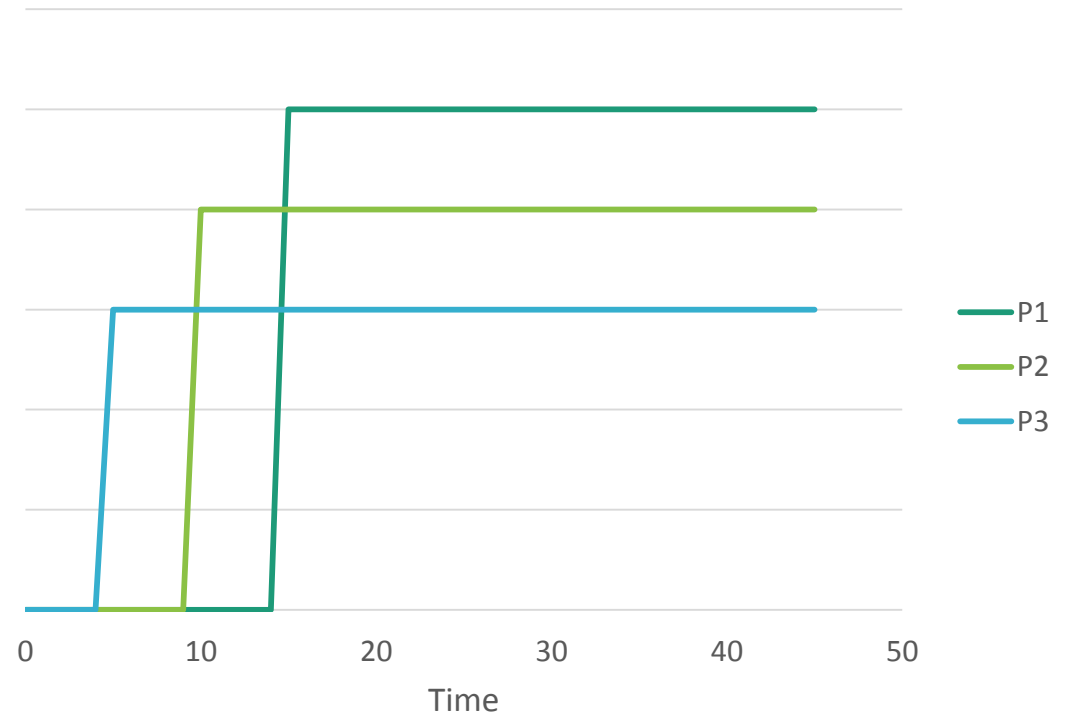


Standard Products

Minimum duration



Potential duration



Standard Products: Behind the scenes

Ramping restrictions

$$\begin{aligned}y_{b,t} &\leq \bar{y}_b u_{b,t} \\y_{b,t} &\geq \underline{y}_b u_{b,t} \\y_{b,t} &\leq y_{b,t-1} + \bar{y}_b x_{b,t} \\y_{b,t} &\geq y_{b,t-1} - \bar{y}_b x_{b,t}\end{aligned}$$

Minimum duration

$$\begin{aligned}\sum_{t=1}^{L_b} u_{b,t} &= L_b \quad \forall b \\ \sum_{t=s}^{s+\underline{DP}_p-1} u_{b,t} &\geq \underline{DP}_p (u_{b,s} - u_{b,s-1}) \quad \forall b, s \\ &\in \{1 + L_b + 1, \dots, |T| - \underline{DP}_p + 1\} \\ \sum_{t=s}^{|T|} u_{b,t} &\geq \sum_{t=s}^{|T|} (u_{b,s} - u_{b,s-1}) \quad \forall b, s \\ &\in \{|T| - \underline{DP}_p + 2, \dots, |T|\}\end{aligned}$$

Integration of
Balancing
Markets

Standard
Products

Activation
Optimization
Function

Modeling the
Problem

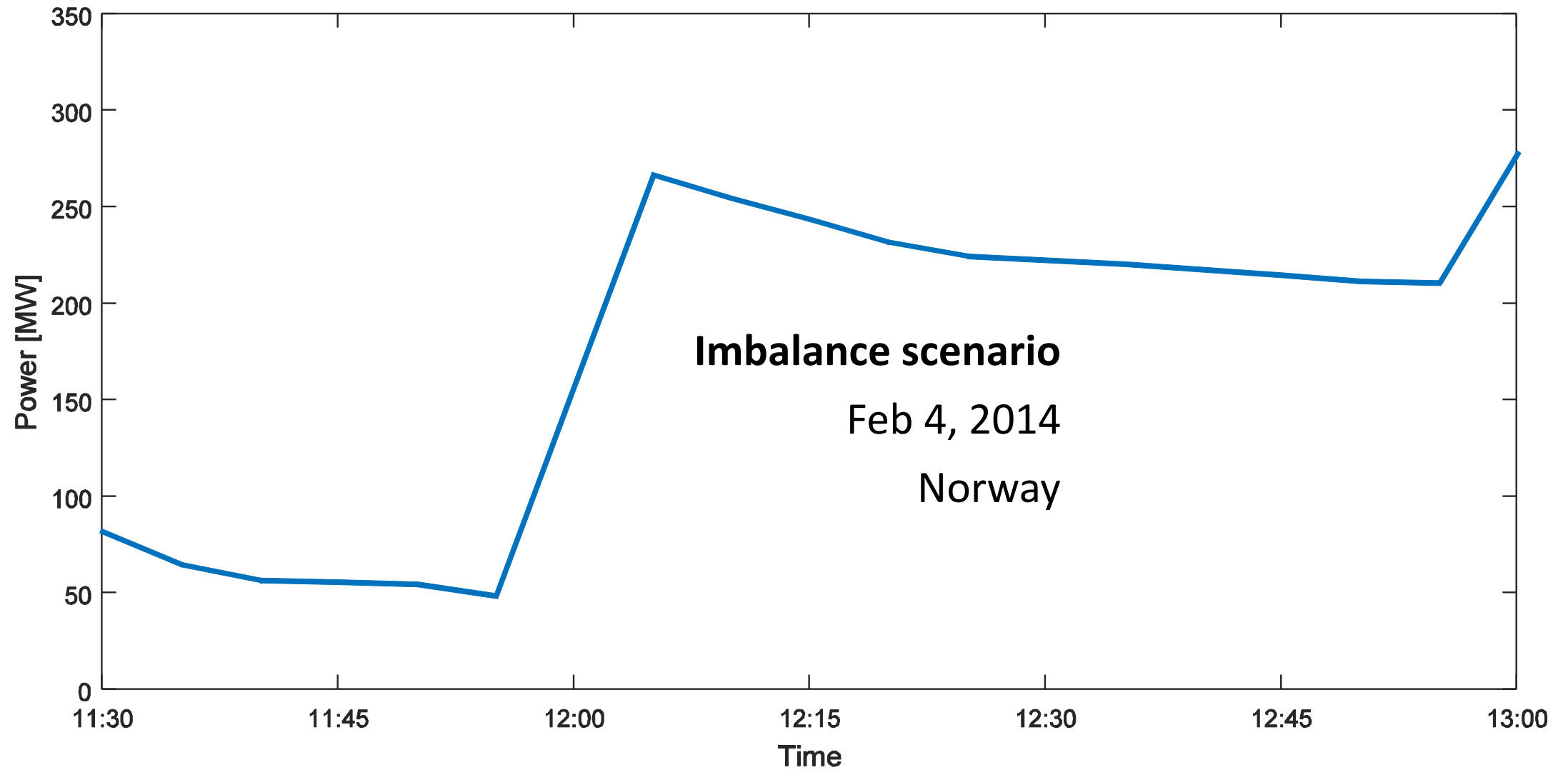
Case Study

Simulation
Results

Ongoing Work

Questions

Case study



Case study

Fictive activation market

50 bids

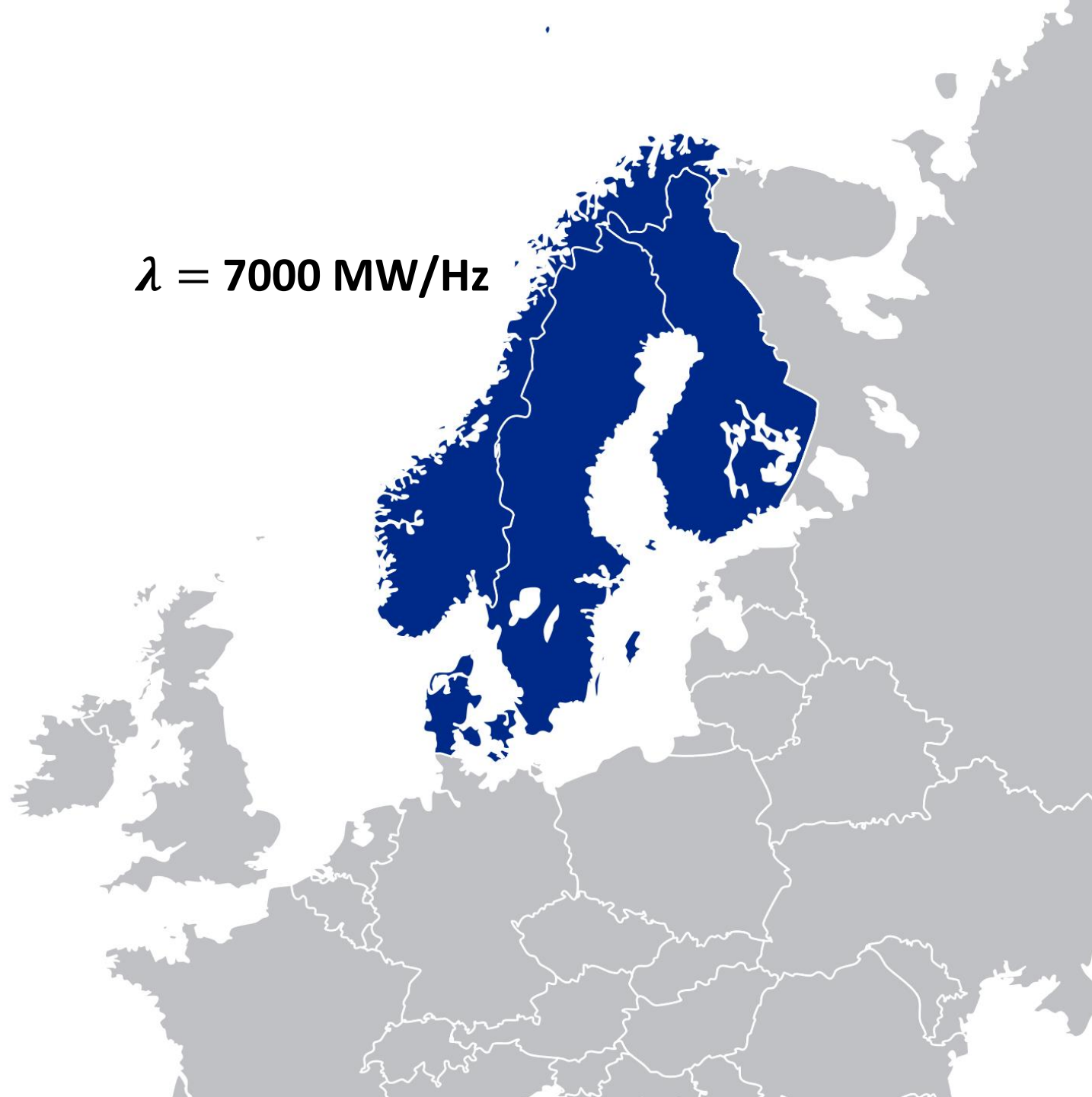
3 products

Molde	72	24.7	120	NO3	P4
Uppsala	51	25.4	120	SE3	P2
Stockholm	89	26.1	120	SE3	P5
Porsgrunn	130	26.6	120	NO2	P2
Bodø	55	26.7	120	NO4	P4
Oslo	38	27.5	120	NO1	P4
Horten	68	27.9	120	NO1	P1
Trondheim	73	28.2	120	NO3	P5
Göteborg	83	28.9	120	SE3	P1
Ålesund	45	29.4	120	NO3	P2
Drammen	71	29.6	120	NO1	P1
Linköping	109	29.8	120	SE3	P2
Gjøvik	85	31.4	120	NO1	P1
Västerås	22	31.7	120	SE3	P1
Askøy	60	32.1	120	NO5	P2
Malmö	83	32.2	120	SE4	P1
Örebro	63	32.4	120	SE3	P5
Lillehammer	95	33.4	120	NO1	P5
Fredrikstad	39	34.5	120	NO1	P5
Moss	78	35.8	120	NO1	P1
Helsingborg	140	35.9	120	SE4	P4
Tromsø	36	36.4	120	NO4	P1
Kristiansand	145	36.9	120	NO3	P5

Case study

$$\lambda = 7000 \text{ MW/Hz}$$

Planning up to 90
mins ahead



Case study

What if we ...

Only use P1
product

Activate
strictly in price
order

Only plan 15
minutes ahead

Integration of
Balancing
Markets

Standard
Products

Activation
Optimization
Function

Modeling the
Problem

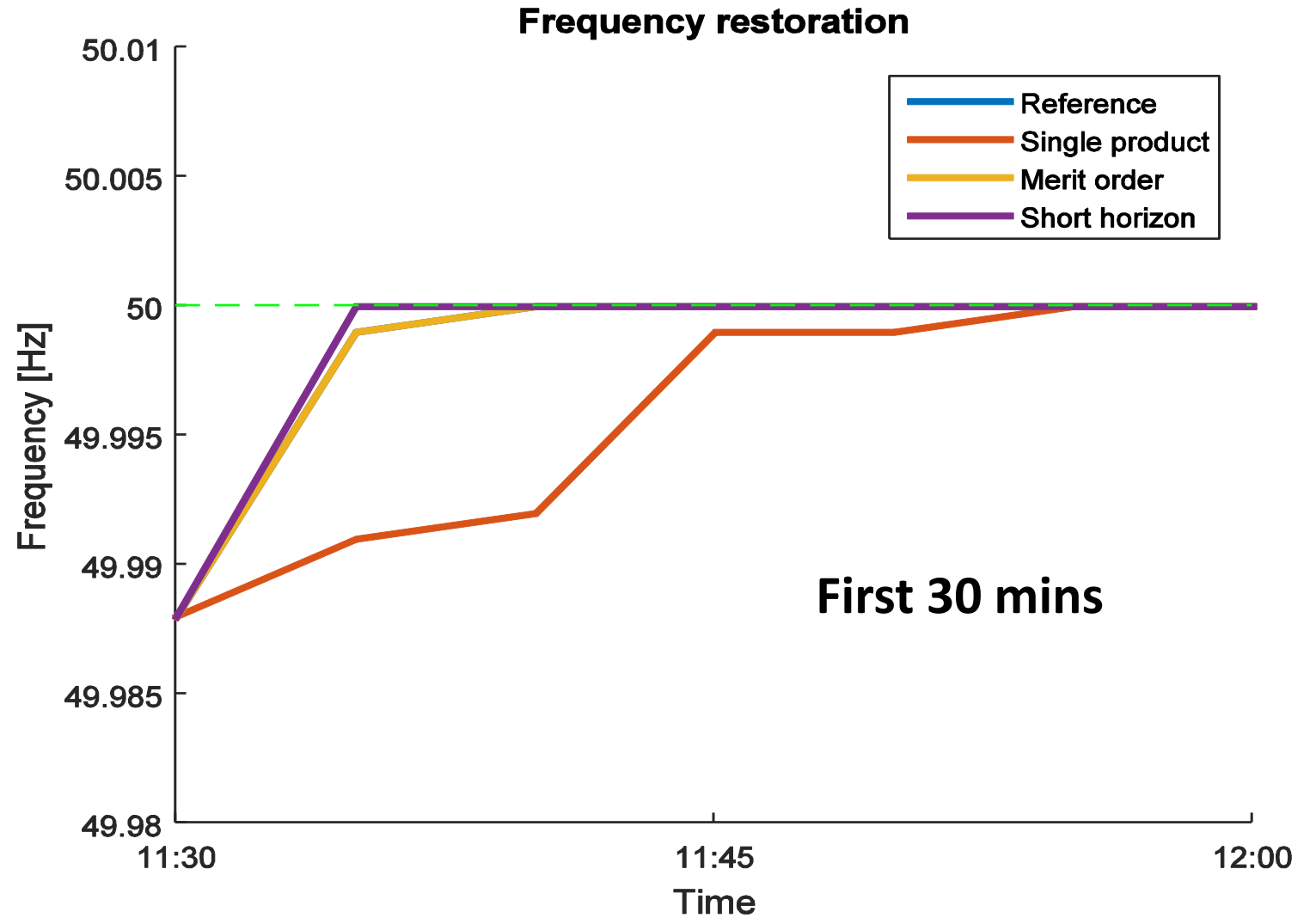
Case Study

Simulation
Results

Ongoing Work

Questions

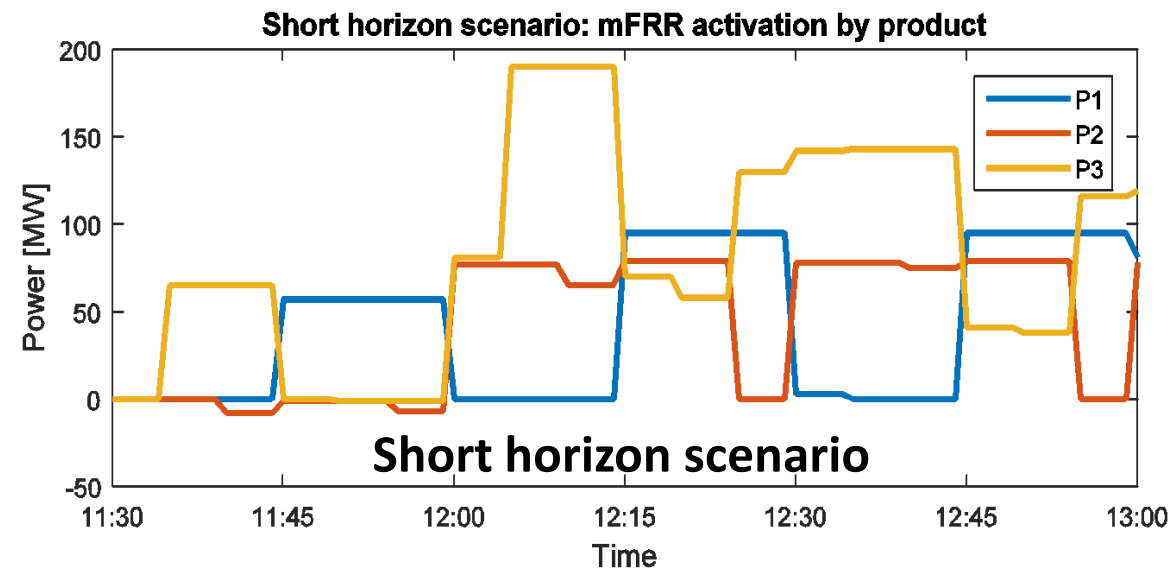
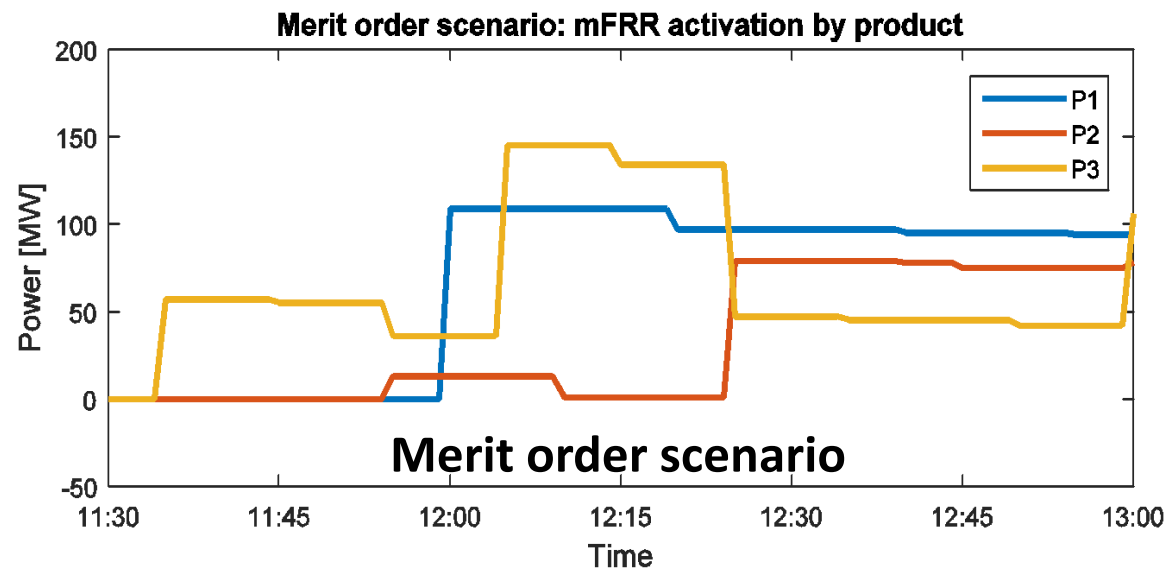
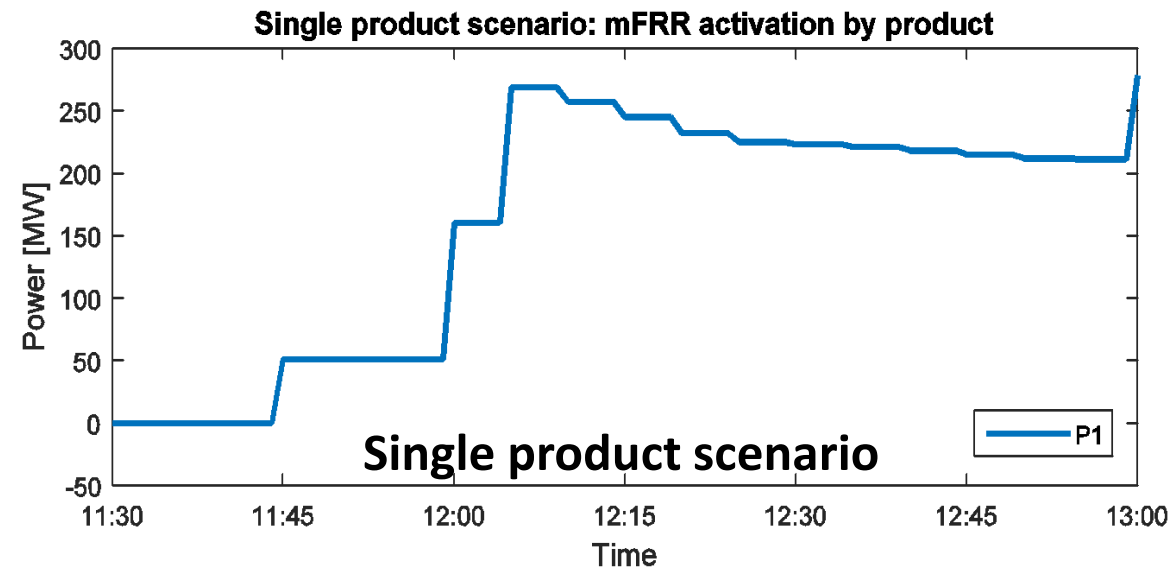
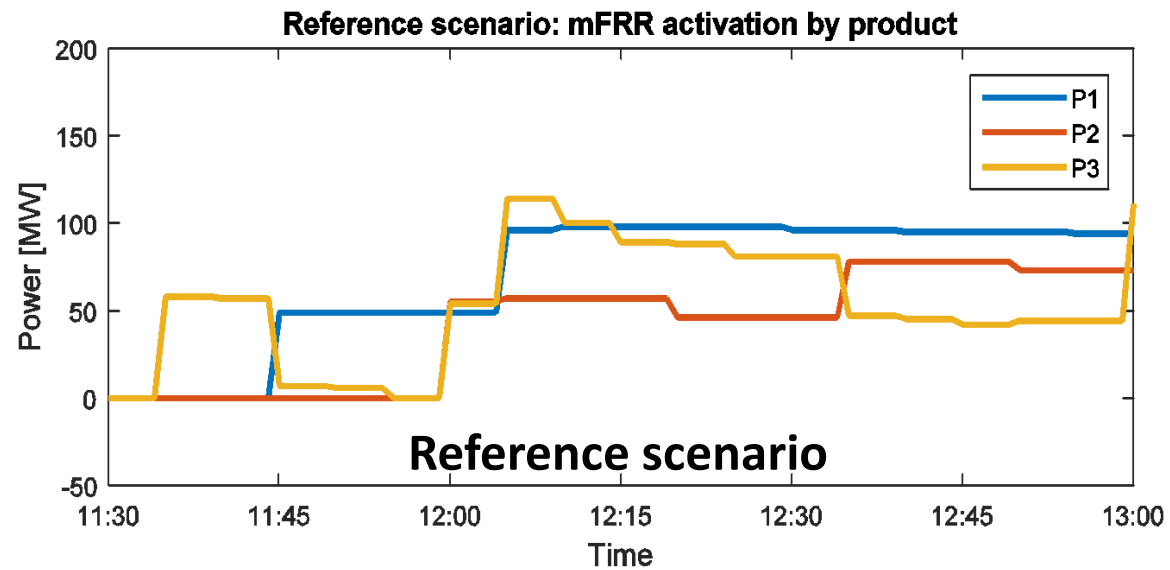
Simulation results: frequency



Simulation results: costs

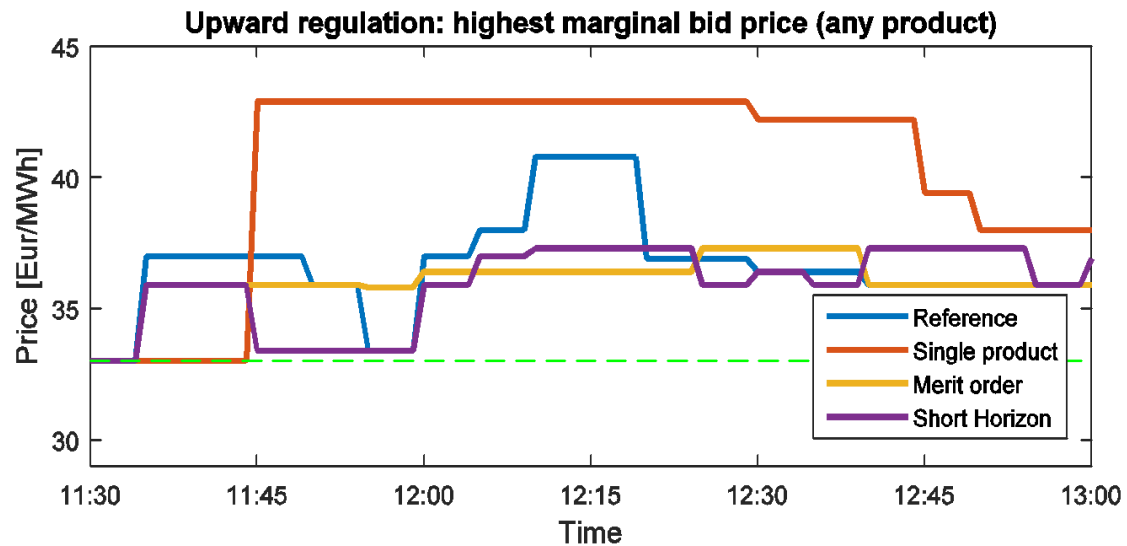
SCENARIO	ACTIVATION	PENALTY	TOTAL
REFERENCE	9 323	722	10 045
SINGLE PRODUCT	8 979	1 642	10 621
MERIT ORDER	9 324	743	10 068
SHORT HORIZON	9 552	687	10 239





Simulation results: prices

Highest upward price



Main findings



- ☐ Using only P1 gives slow response
- ☐ Short horizons possible, but suboptimal
- ☐ Merit order stabilizes prices in this case

Main shortcomings



- ☐ Imbalance forecasts are deterministic
- ☐ No transmission network
- ☐ No aFRR
- ☐ What is the correct penalty?

Integration of
Balancing
Markets

Standard
Products

Activation
Optimization
Function

Modeling the
Problem

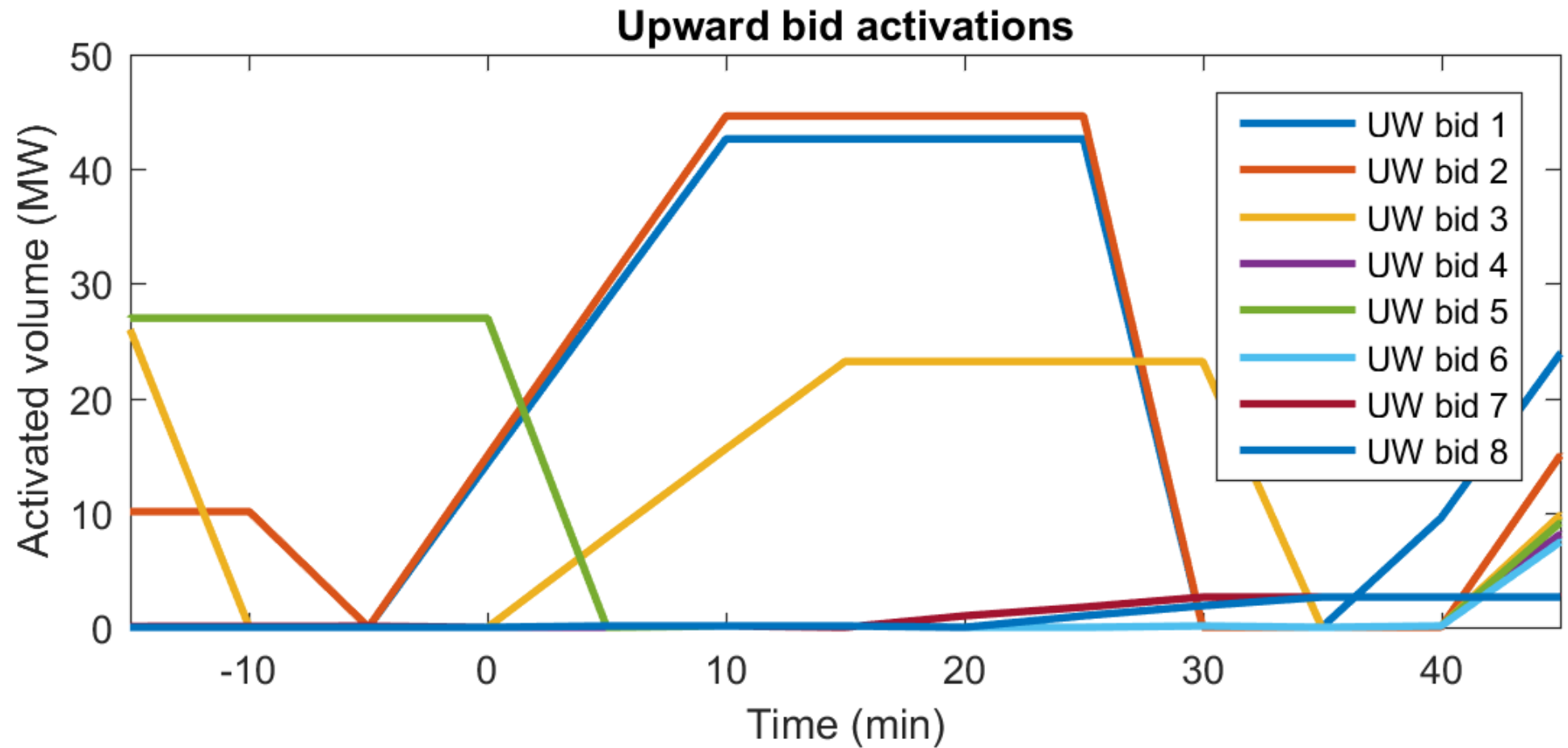
Case Study

Simulation
Results

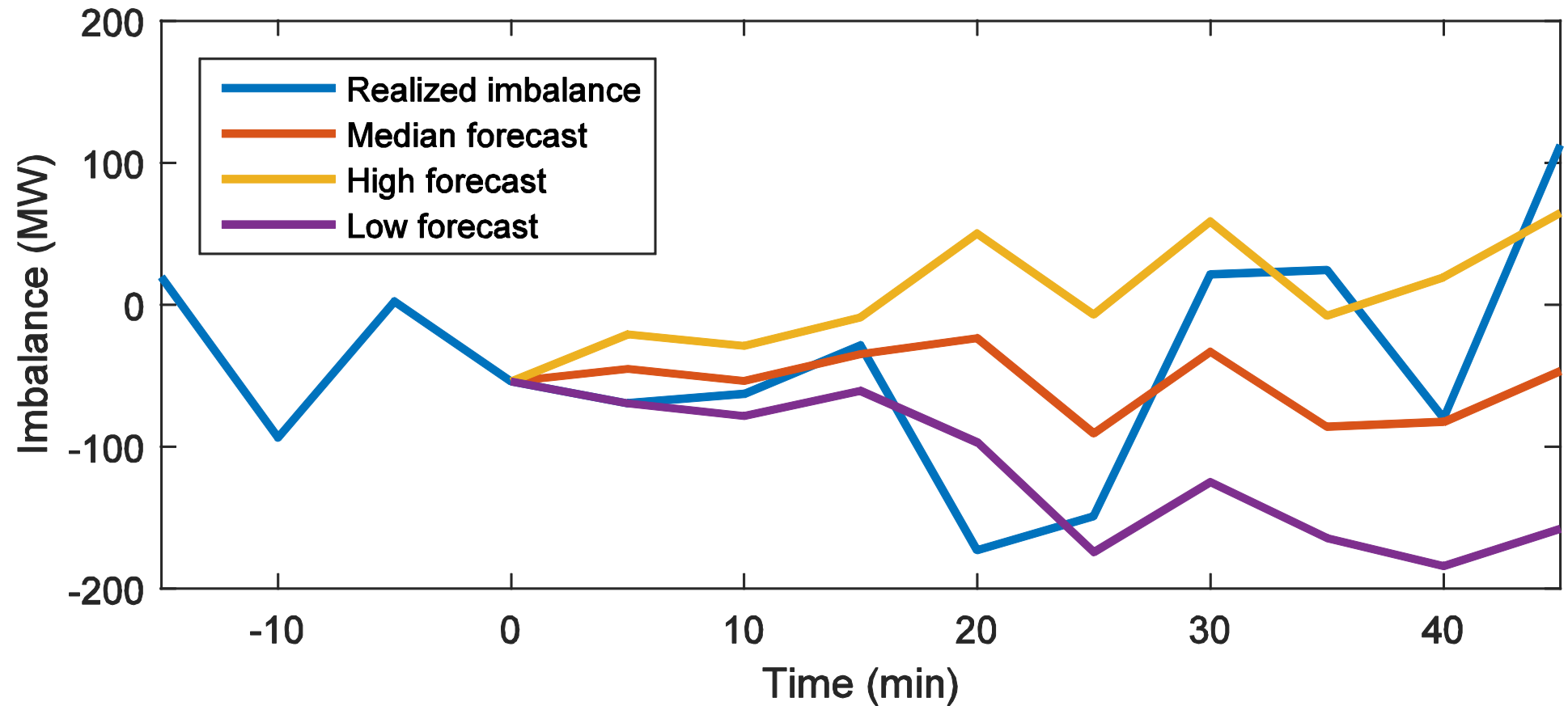
Ongoing Work

Questions

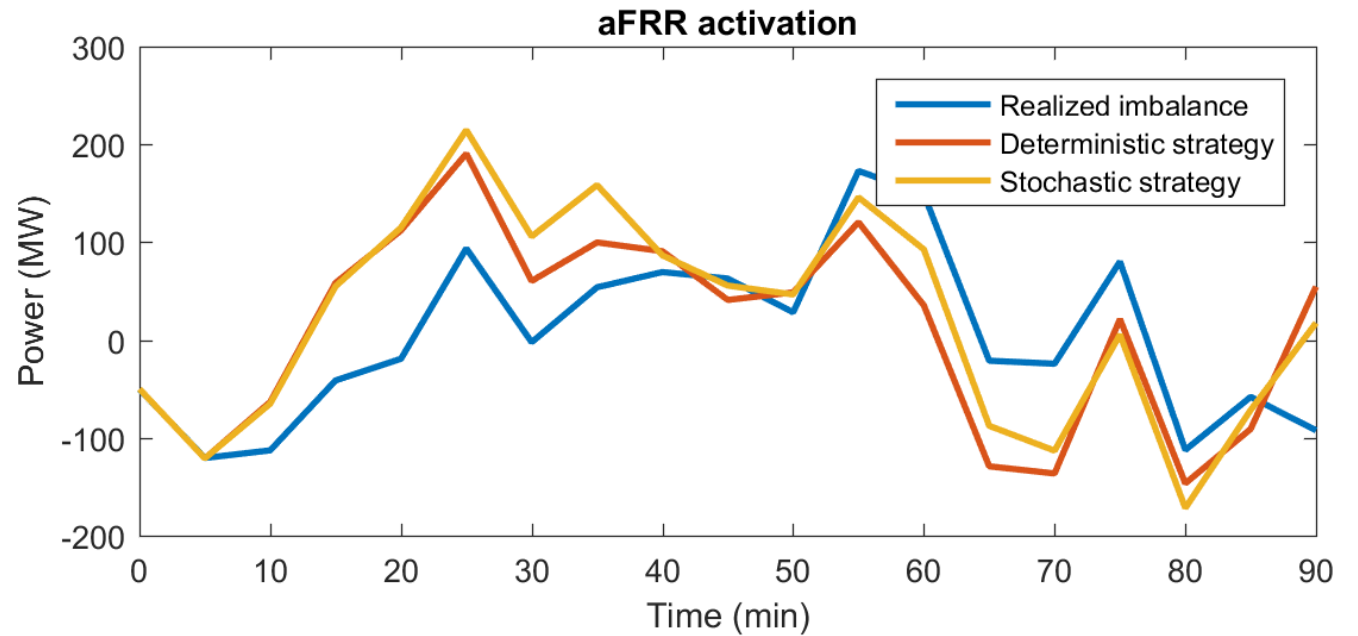
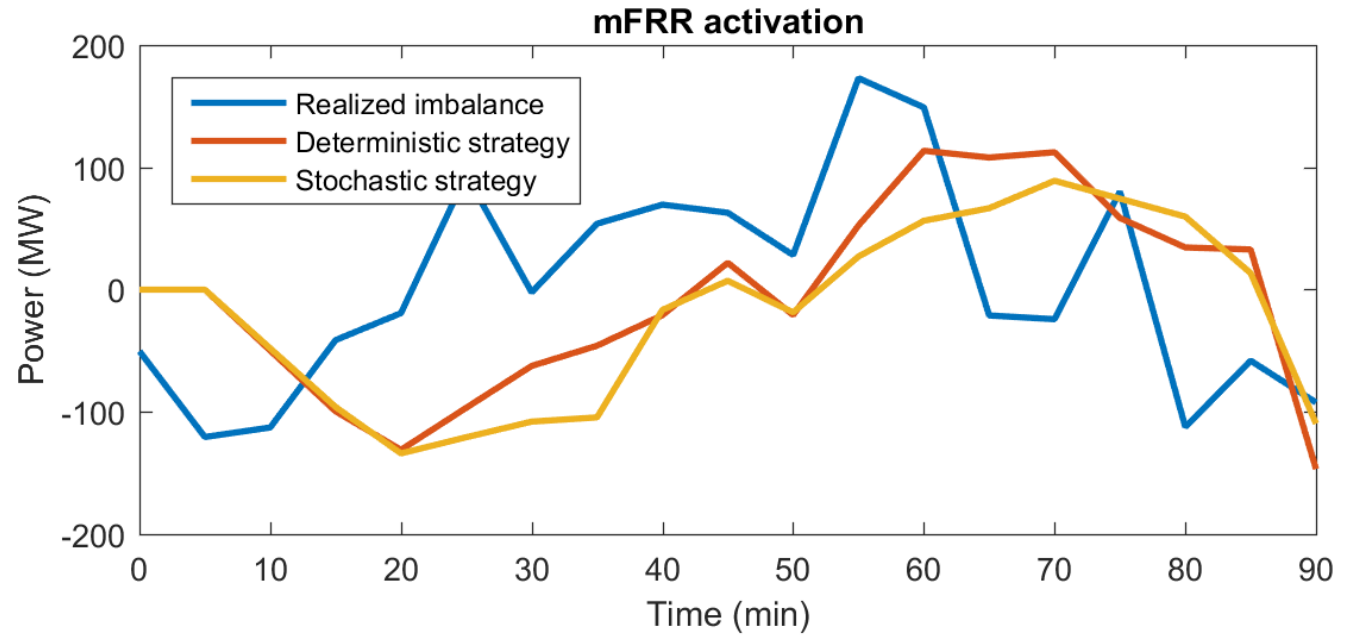
Detailed mFRR product model



Imbalance forecasts based on historical data

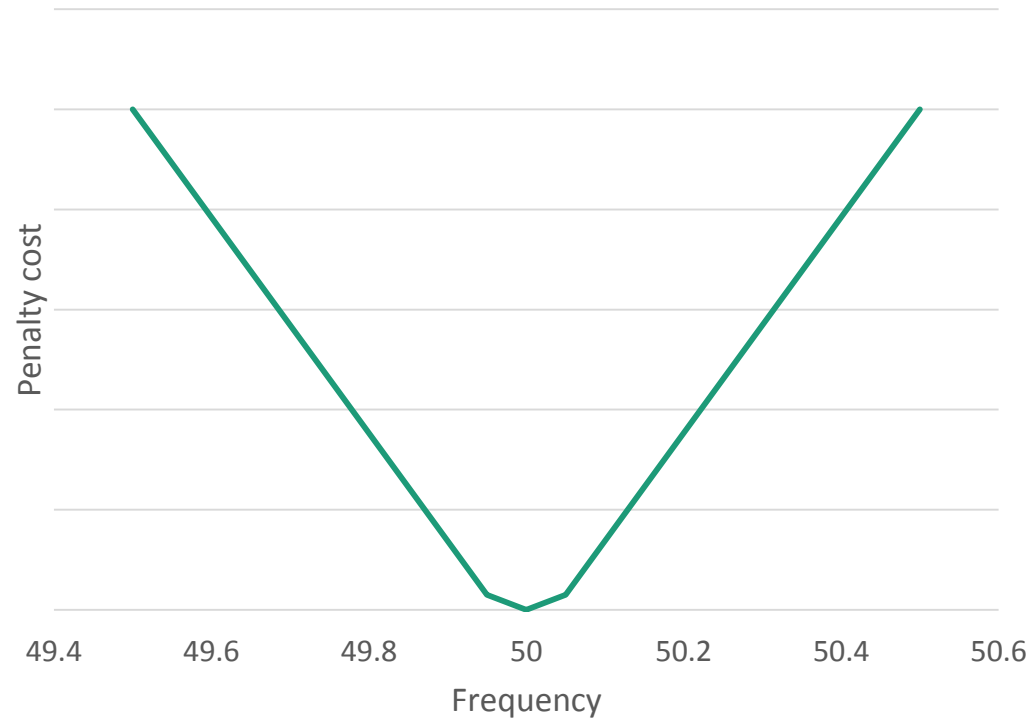


Stochastic strategy

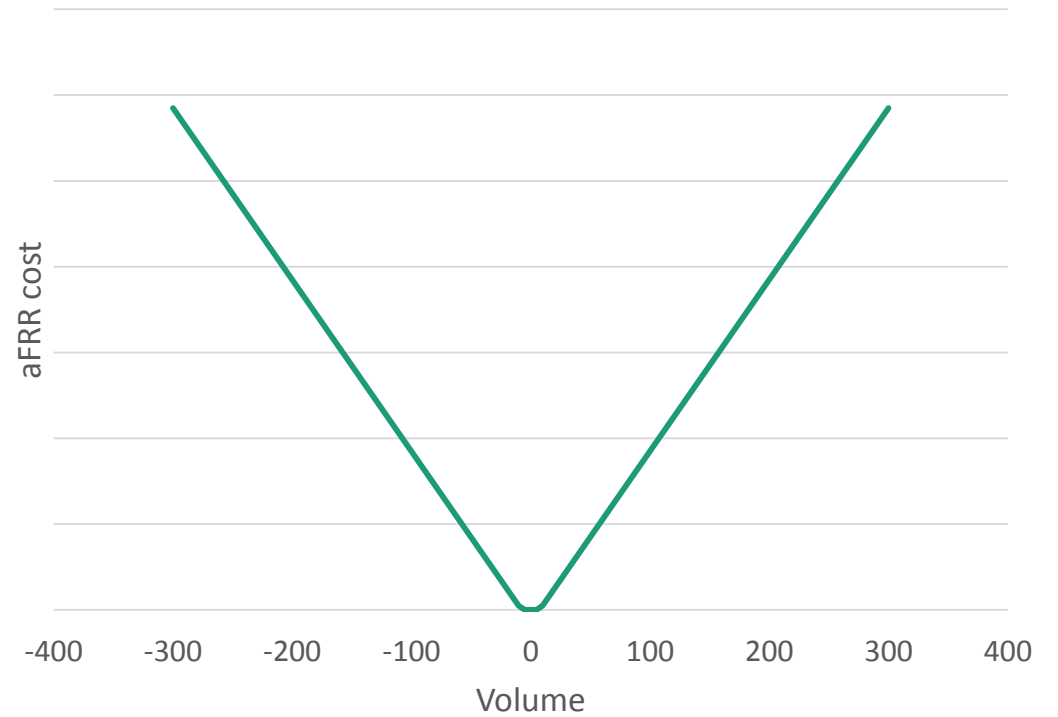


aFRR in stead of penalties

Penalty function



Leave it to aFRR: cost function



Integration of
Balancing
Markets

Standard
Products

Activation
Optimization
Function

Modeling the
Problem

Case Study

Simulation
Results

Ongoing Work

Questions

Thank you